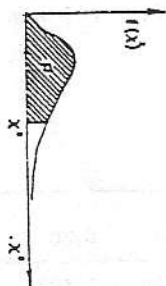


VI. táblázat A χ^2 -eloszlásu valószínűségi változó p-quantilisei

$P(\chi^2 < \chi_p^2) = p$



Szabad- sági fok	0,005	0,01	0,025	0,05	0,10	Szabad- sági fok	0,25	0,50	0,75	0,90	0,95	0,975	0,99	0,995
1	3,841	3,841	3,841	3,841	3,841	1	0,1015	0,4549	1,323	2,706	3,841	5,024	6,635	7,879
2	5,991	5,991	5,991	5,991	5,991	2	0,5754	1,386	2,773	4,605	5,991	7,378	9,210	10,597
3	7,879	7,879	7,879	7,879	7,879	3	1,213	2,366	4,108	6,251	7,879	9,348	11,34	12,838
4	9,488	9,488	9,488	9,488	9,488	4	1,923	3,357	5,385	7,779	9,488	11,14	13,28	14,86
5	10,828	10,828	10,828	10,828	10,828	5	2,675	4,351	6,626	9,236	11,07	12,83	15,09	16,75
6	12,592	12,592	12,592	12,592	12,592	6	3,455	5,348	7,841	10,64	12,59	14,45	16,81	18,55
7	14,454	14,454	14,454	14,454	14,454	7	4,255	6,346	9,037	12,02	14,07	16,01	18,48	20,28
8	16,411	16,411	16,411	16,411	16,411	8	5,071	7,344	10,22	13,36	15,51	17,53	20,09	21,96
9	18,475	18,475	18,475	18,475	18,475	9	5,899	8,344	11,39	14,68	16,92	19,02	21,67	23,59
10	20,515	20,515	20,515	20,515	20,515	10	6,737	9,342	12,55	15,99	18,31	20,48	23,21	25,19
11	22,603	22,603	22,603	22,603	22,603	11	7,584	10,34	13,70	17,28	19,68	21,92	24,72	26,76
12	24,759	24,759	24,759	24,759	24,759	12	8,438	11,34	14,85	18,55	21,03	23,34	26,22	28,30
13	26,217	26,217	26,217	26,217	26,217	13	9,299	12,34	15,98	19,81	22,36	24,74	27,69	29,82
14	27,688	27,688	27,688	27,688	27,688	14	10,17	13,34	17,12	21,06	23,68	26,12	29,14	31,32
15	29,151	29,151	29,151	29,151	29,151	15	11,04	14,34	18,25	22,31	25,00	27,49	30,58	32,80
16	30,578	30,578	30,578	30,578	30,578	16	11,91	15,34	19,37	23,54	26,30	28,05	32,00	34,27
17	32,001	32,001	32,001	32,001	32,001	17	12,79	16,34	20,49	24,77	27,59	30,19	33,41	35,72
18	33,409	33,409	33,409	33,409	33,409	18	13,68	17,34	21,60	25,99	28,87	31,53	34,81	37,16
19	34,801	34,801	34,801	34,801	34,801	19	14,56	18,34	22,72	27,20	30,14	32,85	36,19	38,58
20	36,191	36,191	36,191	36,191	36,191	20	15,45	19,34	23,83	28,41	31,41	34,17	37,57	40,00
21	37,566	37,566	37,566	37,566	37,566	21	16,34	20,34	24,93	29,62	32,67	35,48	38,93	41,40
22	38,916	38,916	38,916	38,916	38,916	22	17,27	21,34	26,04	30,81	33,92	36,78	40,29	42,79
23	40,289	40,289	40,289	40,289	40,289	23	18,14	22,34	27,14	32,01	35,17	38,08	41,64	44,18
24	41,684	41,684	41,684	41,684	41,684	24	19,04	23,34	28,24	33,20	36,42	39,38	42,98	45,56
25	43,151	43,151	43,151	43,151	43,151	25	19,94	24,34	29,34	34,38	37,65	40,65	44,31	46,93
26	44,589	44,589	44,589	44,589	44,589	26	20,84	25,34	30,43	35,56	38,09	41,92	45,64	48,29
27	46,001	46,001	46,001	46,001	46,001	27	21,75	26,34	31,53	36,74	39,41	43,19	46,96	49,64
28	47,389	47,389	47,389	47,389	47,389	28	22,66	27,34	32,62	37,92	40,74	44,46	48,28	50,99
29	48,754	48,754	48,754	48,754	48,754	29	23,57	28,34	33,71	39,09	42,56	45,72	49,59	52,34
30	50,085	50,085	50,085	50,085	50,085	30	24,48	29,34	34,80	40,26	43,77	46,98	50,89	53,67
40	55,758	55,758	55,758	55,758	55,758	40	33,66	39,34	45,62	51,80	55,76	59,34	63,69	66,77
50	63,691	63,691	63,691	63,691	63,691	50	42,99	49,33	56,33	63,17	67,50	71,42	76,15	79,49
60	71,420	71,420	71,420	71,420	71,420	60	51,78	59,33	66,98	74,40	79,08	83,30	88,38	91,95
70	79,082	79,082	79,082	79,082	79,082	70	60,11	69,33	77,58	85,53	90,53	95,02	100,42	104,22
80	86,651	86,651	86,651	86,651	86,651	80	68,13	79,33	88,13	96,58	101,80	106,63	112,33	116,32
90	94,024	94,024	94,024	94,024	94,024	90	75,91	89,33	99,65	107,56	113,14	118,14	124,12	128,30
100	101,879	101,879	101,879	101,879	101,879	100	83,29	99,33	109,14	118,50	124,34	129,56	135,81	140,17